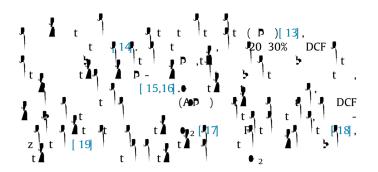
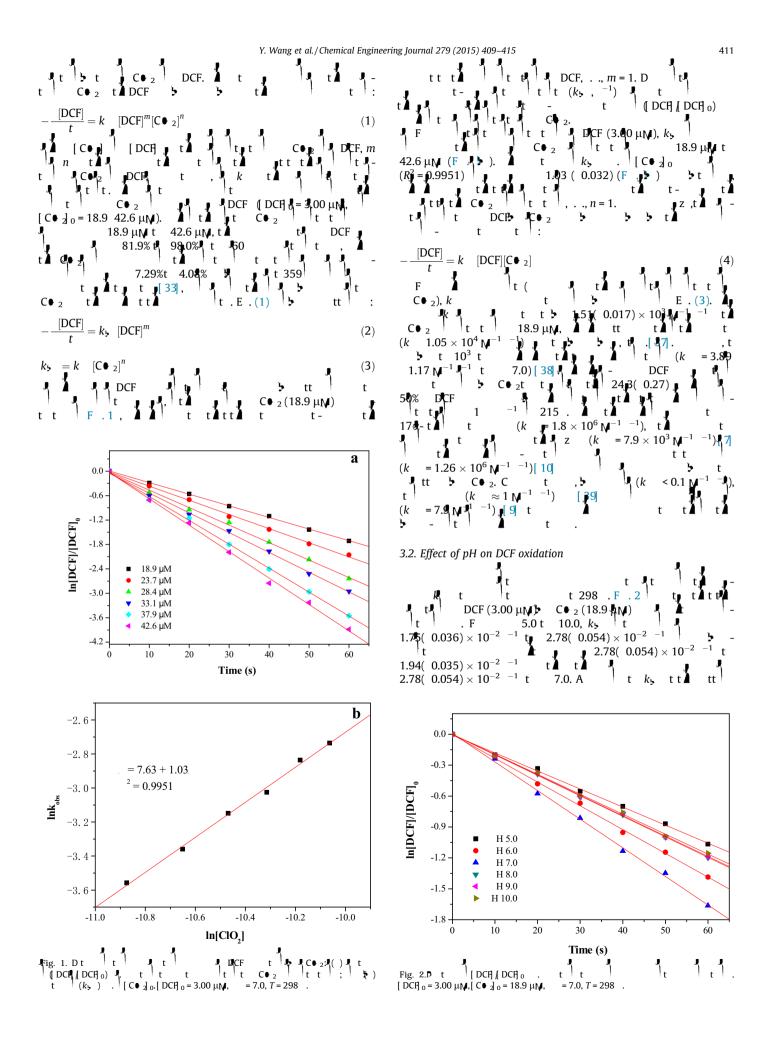
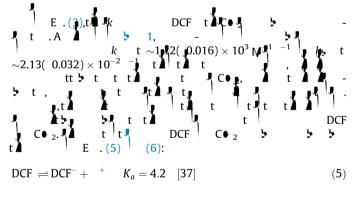
t J	1 5 1 1	t t t	CrossMar





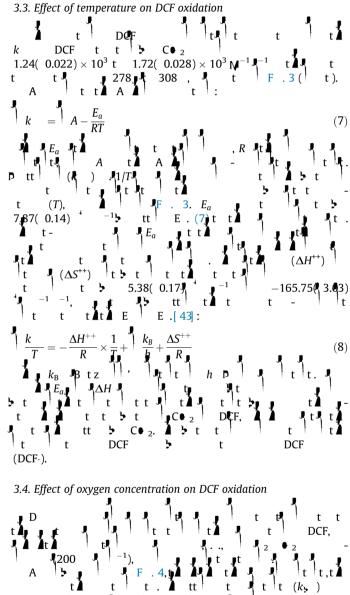


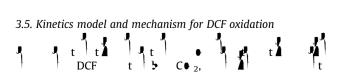
 $\mathsf{C} \blacklozenge \ _2 \overset{+e^-}{\rightarrow} \mathsf{C} \blacklozenge \ _2 \overset{-}{\overset{+2e^-}{\rightarrow}} \mathsf{C} \blacklozenge$ $\stackrel{+2e^{-}}{\rightarrow}$ C⁻ [33]

(6)

2.63(0.058) $\times 10^{-1}$ t 10^{-2} $^{-1}$ t

 K_a C \bullet 7.5 t 298 . F G t j C 1.96 5.0t 7.0, DGF⁻, C \bullet ₂, C \bullet ₂ t t t K_a t t t t byJ t **¢** € 2 t t DCF DCF5 t t DCF 10.0, tt 5 ₂, t t b t C ₂, t t [10], t [40,41] . t j t]. t¹ ,**b**,[11] t 🏾 [42] t, t∎t t t. t t t ,t 🌡





t

 $3.51(0.067) \times 10^{-2}$

t t d d DCF.

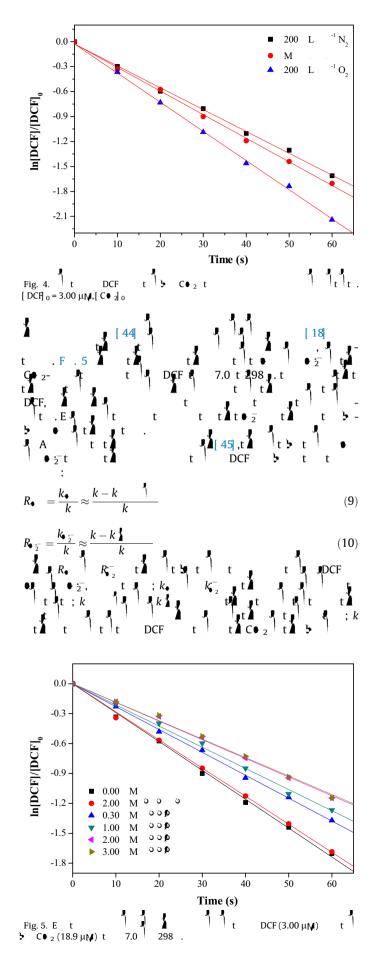
t t (k,)

(•),

2.84(0.051)

Ե t**⊉**t

t



2.73(0.14)%,
$$R_{-2}^{-2}$$
 36.07(0.36)%. If $t \in t$
DCF C 2 $t = t$ $t = t$ $t = t$ $C = t$
 $T = t$ $T = t$ $T = t$ $C = 2$
 $T = t$ $T = t$ $T = t$ $C = 2$
 $T = t$ $T = t$ $T = t$ $C = 2$
 C

$$\mathsf{DCF} + \mathsf{C} \bullet_2 \xrightarrow{k_1} \mathsf{DCF} + \mathsf{C} \bullet_2^{-} \tag{11}$$

$$\mathsf{DCF}^{\cdot} + \bigoplus_{2} \xrightarrow{k_{2}} \mathsf{DCF}^{+} + \bigoplus_{2}^{-}$$
(12)

$$\bullet \stackrel{\cdot}{_2} \stackrel{\cdot}{\xrightarrow{}} \bullet_2 \tag{13}$$

$$\bullet \ _{2}^{-} + \text{DCF} \xrightarrow{k_{4}} \qquad t \tag{14}$$

$$DCF + C \bullet_{2} \xrightarrow{k_{5}}{t} t$$

$$k_{1} t \bullet_{1} t \bullet_{1}$$

$$-\frac{|\mathbf{DCF}|}{t} = k_1[\mathbf{DCF}][\mathbf{C} \bullet_2] + k_4[\mathbf{DCF}][\mathbf{e}_2]$$
(16)

$$\frac{[\text{DCF}]}{t} = k_1[\text{DCF}][\text{C} \bullet_2] - k_2[\text{DCF}][\text{P}_2] - k_5[\text{DCF}][\text{C} \bullet_2] = 0 \quad (17)$$

$$E \quad . (17) \quad :$$

$$[DCF] = \frac{k_1[DCF][C \bullet_2]}{k_2[\bullet_2] + k_5[C \bullet_2]}$$

$$(18)$$

$$t - t t t t \bullet_2^- :$$

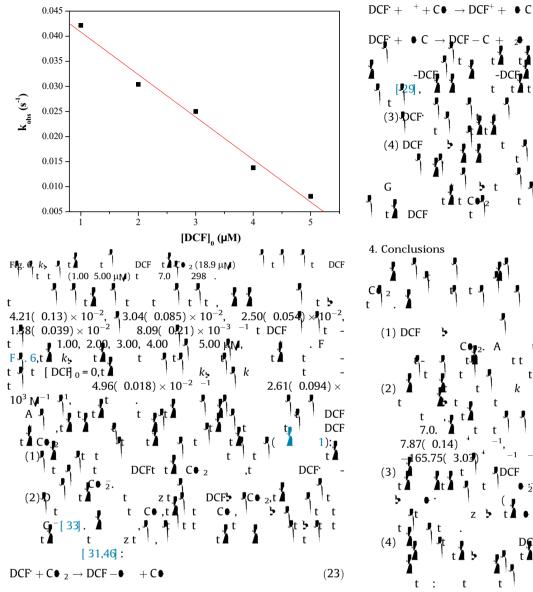
$$\frac{\left[\begin{smallmatrix} 0 & 2 \\ 2 \end{bmatrix}\right]}{t} = k_2[\text{DCF}]\left[\begin{smallmatrix} 0 & 2 \\ 2 \end{bmatrix} - k_3\left[\begin{smallmatrix} 0 & -2 \\ 2 \end{bmatrix}\right] - k_4[\text{DCF}]\left[\begin{smallmatrix} 0 & 2 \\ 2 \end{bmatrix}\right] = 0$$
(19)
$$= k_2[\text{DCF}]\left[\begin{smallmatrix} 0 & 2 \\ 2 \end{bmatrix}\right] + k_3[[\text{DCF}]\left[\begin{smallmatrix} 0 & 2 \\ 2 \end{bmatrix}\right] = 0$$
(19)

$$\begin{bmatrix} b \\ 2 \end{bmatrix} = \frac{k_2 [\text{DCF}] \begin{bmatrix} b \\ 2 \end{bmatrix}}{k_3 + k_4 [\text{DCF}]}$$
(20)

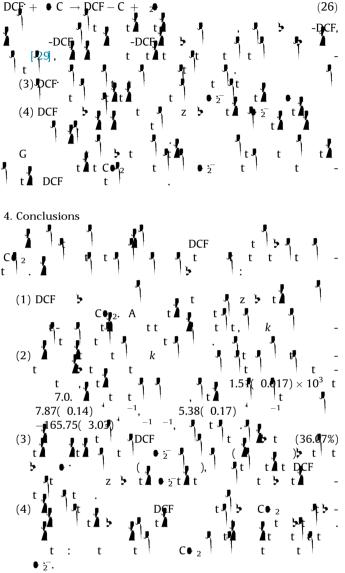
$$k_{5} = -\frac{[DCF]}{t[DCF]} = \frac{k_{1}k_{2}k_{4}[r_{2}][C \bullet_{2}]}{(k_{2}[r_{2}] + k_{5}[C \bullet_{2}])(k_{3} + k_{4}[DCF])}[DCF] + k_{1}[C \bullet_{2}]$$

$$(22)$$

$$t = \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix} \begin{bmatrix} 1 \\ 1 \end{bmatrix}$$

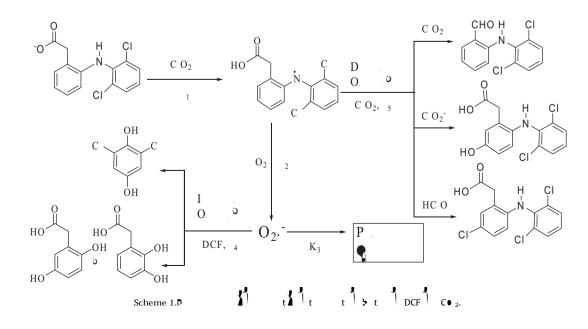


$$DCF + C \bullet_2 \rightarrow \qquad \flat \qquad - DCF + C \bullet \qquad (24)$$

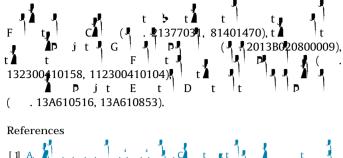


+

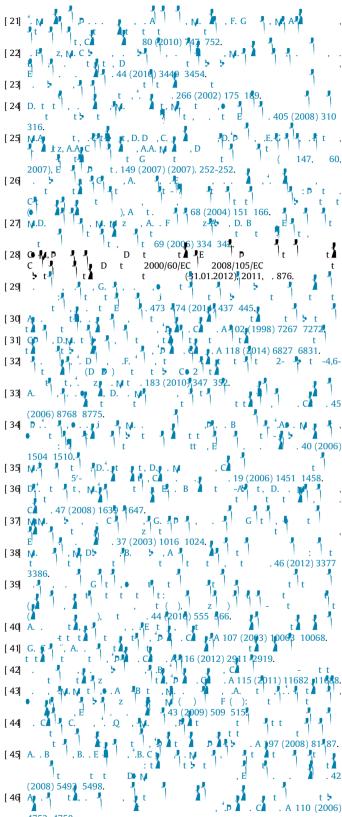
(25)



Acknowledgments



- [1] A. , ci t . 276 (2014) 499 509. G. G. J. , AD t z, A. J. t t, t ť [2] Ċ 118 (2014) 1293 1299. E. faecalis
- 44 (2010) 3243 3251. . 1**2**1 (**2**012) 68**1**75.
- 5 1.1. E . 185-186 (2012) 236 242. [7] M.N. t t t t t 39 (2005) 3607 3617. [8] .
- , M. A , . G t t : t t Ь . 42 (2008) 1935 4942. C. . , t : t 🕽 🕻 🛯 2, [9] D. , .. t, t [10] P. . 44 2010) 5989 9998 t t t t t t t
- , t t t , t . 45 (201) 18 . 45 (2011) 1838 1846 [11] F. , .**№**Q 79 (2010) 640 651. t , F. C t , .B. [12] A.B
- t , F. C t t , B t , D. nt , p t t t . [13] A. .
- [14] 🛃 t, M. ļ, .В . G **, , ,** A, A.N. B (t . 28 (2009) 2706 2714. c
- [15] z, M. C 🦻 🛛 , F. 🖷 t pp o . 7 (2008) 125 138. ttt
- [16] z, b. B , A t b AC C 27 (2008) 836 846. .**№**. C [17] . M
- t t z
- , p 🦹 z. MP t
- ()) it t , A . Ct . B 147 (2014) 1015 1027.



4753 4758.